Test Five Topics:

RMS Resistive Power Loss (I²R)

AC Reactance, Impedance, Power Factor

RCL Circuit Analysis

Calculate Series RCL Impedance

Calculate Series RCL Resonance Frequency

Determine whether Series RCL circuit at resonance has maximum or minimum current

Calculate Parallel RCL Impedance

Calculate Parallel RCL Resonance Frequency

Determine whether Parallel RCL circuit at resonance has maximum or minimum current

RCL Passive Filters

Using a schematic of a RC or RL circuit, determine if the circuit depicts a low pass filter or a high pass filter

Calculate the time constant

Calculate the filter's cut-off frequency

Sketch the V_{out} / V_{in} Curve

Label both axes, the horizontal asymptote, the cut-off frequency, and the ½ power point

Review materials include:

Reading Assignments & Homework Problems

Course Notes

Review Problems including Reactance & Impedance Quizzes

Additional Review Problems (AC Circuit Analyses)

Additional Review Problems (Reactance, Filters)

Reactance & Filter Ouizzes

See Test Five Review Problems (attached)

For the test, you may use:

a calculator,

two page of YOUR OWN self-generated review notes

Note: Phones may **NOT** be used during the exam; NOT as calculators, NOT as Internet connections, NOT for resource retrieval (i.e., electronic copies of notes, files, tables, etc.), NOT for communications. If the exam proctor suspects the use of a phone during the exam, your test will be confiscated and zero points will be assigned.

Calculate Capacitive and Inductive Reactance and Complex Impedance Calculate Series & Parallel Equivalent Impedance for Resistors, Capacitors, Inductors, Impedances Determine Passive RC and RL Passive Filter Characteristics

1. Calculate Series & Parallel Impedance Frequency = 420 Hz.

CL Series Configuration	RCL Parallel Configuration
$R = 20 \Omega$	$R = 20 \Omega$
$C = 25 \mu F$	$C = 25 \mu F$
L = 50 mH	L = 50 mH

Answers:

- 2. For Figure A, calculate the circuit impedance if the excitation frequency is 1800 Hz. (Answer: Z = 300 + j 6428)
- 3. For Figure B, calculate the circuit impedance if the excitation frequency is 900 KHz. (Answer: Z = 3000 + j 141)

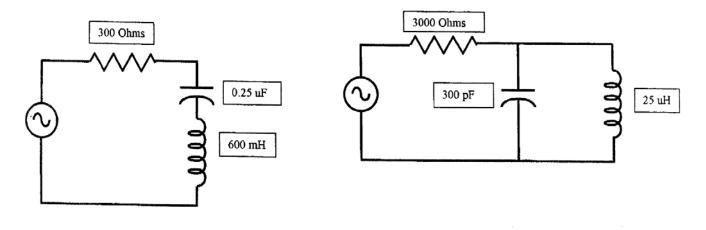


Figure A Figure B

- 4. Sketch RC Filter & V_{out}/V_{in} Curve
- a. Calculate the cut-off frequency (half power point) if R = 1500 ohms and C = 0.100 uF. (Answer $f_0 = 1060$ Hz)
- b. Calculate the time constant. (Answer t = 0.9 msec)
- c. Sketch the circuit for a RC low pass filter
- d. Sketch the circuit for a RC high pass filter
- 5. Sketch RL Filter & V_{out}/V_{in} Curve
- a. Calculate the cut-off frequency (half power point) if R = 1500 ohms and L = 12 H. (Answer $f_0 = 20$ Hz)
- b. Calculate the time constant. (Answer t = 8 msec)
- c. Sketch the circuit for a RL low pass filter
- d. Sketch the circuit for a RL high pass filter
- 6. Reactance Quiz
- 7. Complex Impedance Quiz
- 8. Passive Filter Recognition Quiz
- 9. Additional AC Circuit Analysis Problems (see page 2)

9. Additional AC Circuit Analysis Problems

Basic Electronics for Scientists - James J. Brophy

5-3 Determine the rms current in the $1000-\Omega$ resistor of the circuit in Fig. 5-22. Is the current inductive or capacitive?

Answer: 6.5 mA; capacitive

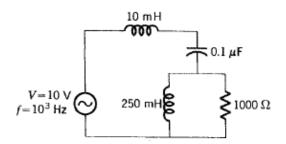


Figure 5-22

5-4 Calculate the equivalent impedance of the circuit in Fig. 5-23 at a frequency of 100 Hz. Repeat for 1000 Hz.

Answer: $0.198 + j2.63 \times 10^6 \Omega$; $384 + j2.47 \times 10^9 \Omega$

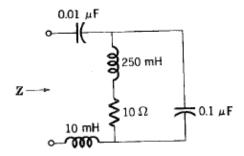
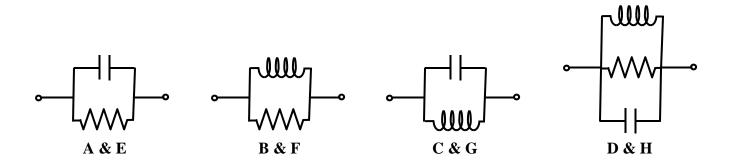


Figure 5-23

Reactance Quiz



For each of the above configurations for both $\omega = 0$ and $\omega = \infty$, determine whether or not the resulting circuit appears as either a resistive circuit, a short circuit, or an open circuit. Check the appropriate blank(s).

For $\omega = 0$ Figure	Resistive Circuit	Short Circuit	Open Circuit
A.			
В.			
С.			
D.			

For $\omega = \infty$ Figure	Resistive Circuit	Short Circuit	Open Circuit
E.			
F.			
G.			
Н.			

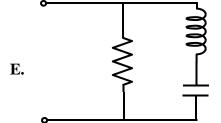
Complex Impedance Quiz

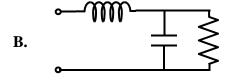
Devise formulas for each of the complex impedance configurations using R, X_C, and X_L.

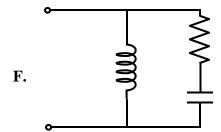
Hint: Impedances in series add, i.e., $Z = Z_1 + Z_2$

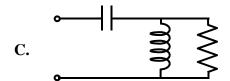
Two impedances in parallel equal the "product over the sum", i.e. $Z = \frac{Z_1 Z_2}{Z_1 + Z_2}$

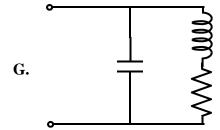
A. ______

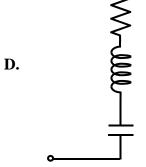


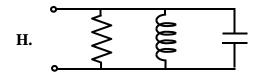












Passive Filter Quick Recognition Quiz

For each of the four schematics, indicate whether or not the configuration represents a *Low Pass Filter* or a *High Pass Filter*.

Hint: Consider the reactance when $\omega = 0$.

$$\begin{array}{lll} X_L = 0 & V_L = 0 & V_R = V_{in} \\ X_C >> 0 & V_C = V_{in} & V_R = 0 \end{array} \label{eq:control_equation}$$

If $V_{out} = V_{in}$, then since $\omega = 0$, passes low frequencies, hence Low Pass Filter.

If $V_{out} = 0$, then since $\omega = 0$, blocks low frequencies, hence passes only high frequencies, i.e., High Pass Filter.

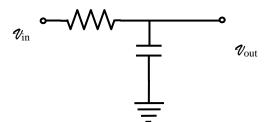
Similarly: Consider the reactance when $\omega >> 0$.

$$\begin{array}{lll} X_L >> 0 & & V_L = V_{\rm in} & & V_R = 0 \\ X_C = 0 & & V_C = 0 & & V_R = V_{\rm in} \end{array} \label{eq:control_equation}$$

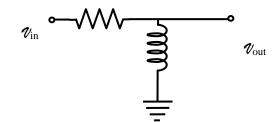
If $V_{out} = V_{in}$, then since $\omega >> 0$, passes high frequencies, hence High Pass Filter.

If $V_{out} = 0$, then since $\omega >> 0$, blocks high frequencies, hence passes only low frequencies, i.e., Low Pass Filter.

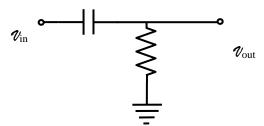
Α.



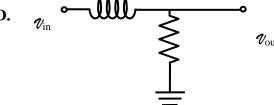
В



C



D.



A. _____

B. _____

C. _____

D.

RC & RL Charging and Discharging Curves

http://hades.mech.northwestern.edu/index.php/RC and RL Exponential Responses

Reactance Quiz

A. Resistive

- B. Short Circuit
- C. Short Circuit
- D. Short Circuit

- E. Short Circuit
- F. Resistive

- **G.** Short Circuit
- H. Short Circuit

Complex Impedance Quiz

A.
$$R + \frac{X_C X_L}{X_C + X_L}$$
 B. $X_L + \frac{R X_C}{R + X_C}$

B.
$$X_L + \frac{RX_C}{R + X_C}$$

C.
$$X_C + \frac{RX_L}{R + X_L}$$
 D. $R + X_C + X_L$

$$\mathbf{D.} \ R + X_C + X_I$$

E.
$$\frac{R(X_C + X_L)}{R + X_C + X_L}$$
 F. $\frac{X_L(R + X_C)}{R + X_C + X_L}$

$$\mathbf{F.} \ \frac{X_L(R+X_C)}{R+X_C+X_L}$$

$$\mathbf{G.} \ \frac{X_C (R + X_L)}{R + X_C + X_L}$$

H.
$$\frac{1}{Z} = \frac{1}{R} + \frac{1}{X_C} + \frac{1}{X_L} = \frac{X_C X_L + R X_L + R X_C}{R X_C X_L}$$
 $Z = \frac{R X_C X_L}{R X_C + R X_L + X_C X_L}$

$$Z = \frac{R X_C X_L}{R X_C + R X_L + X_C X_L}$$

Passive Filter Quiz

- **A.** Low Pass
- **B.** High Pass

- **C.** High Pass
- **D.** Low Pass