

Calculate Capacitive and Inductive Reactance

Calculate Complex Impedance

Calculate Series & Parallel Equivalent Impedance for Resistors, Capacitors, Inductors, Impedances

Calculate RC and RL Time Constants

Sketch the current $i(t)$ and voltage $v(t)$ curves for charging and discharging RC circuits.

Sketch the current $i(t)$ and voltage $v(t)$ curves for charging and discharging RL circuits.

1. Calculate Series & Parallel Impedance (See page 6 for Answers)

RCL Series Configuration

$$R = 20 \Omega$$

$$C = 50 \mu\text{f}$$

$$L = 25 \text{ mh}$$

RCL Parallel Configuration

$$R = 220 \Omega$$

$$C = 10 \mu\text{f}$$

$$L = 720 \text{ mh}$$

2. For an RC series circuit with an instantaneously imposed DC step voltage:

Sketch the curves for the charging current i and for the capacitor voltage V_C

3. For a steady state DC, RL series circuit with an instantaneous removal of the DC voltage:

Sketch the curves for the discharging current i and for the inductor voltage V_L

4. For Figure A, calculate the circuit impedance if the excitation frequency is 1800 Hz. (See page 6 for Answers)

5. For Figure B, calculate the circuit impedance if the excitation frequency is 900 KHz. (See page 6 for Answers)

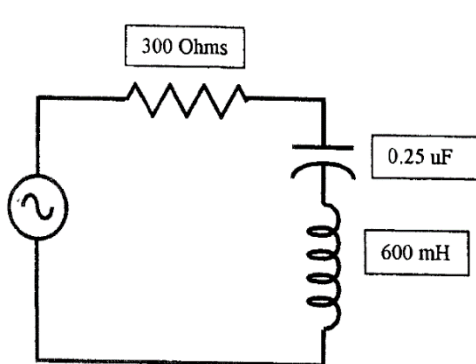


Figure A

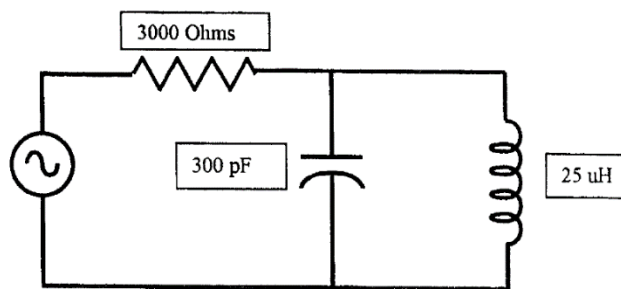


Figure B

6. Additional AC Circuit Analysis Problems

Basic Electronics for Scientists - James J. Brophy

5-3 Determine the rms current in the $1000\text{-}\Omega$ resistor of the circuit in Fig. 5-22. Is the current inductive or capacitive?

Answer: 6.5 mA; capacitive

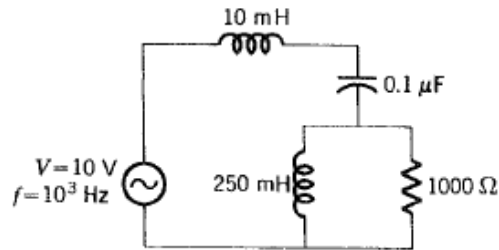


Figure 5-22

5-4 Calculate the equivalent impedance of the circuit in Fig. 5-23 at a frequency of 100 Hz. Repeat for 1000 Hz.

Answer: $0.198 + j2.63 \times 10^6\text{ }\Omega$; $384 + j2.47 \times 10^9\text{ }\Omega$

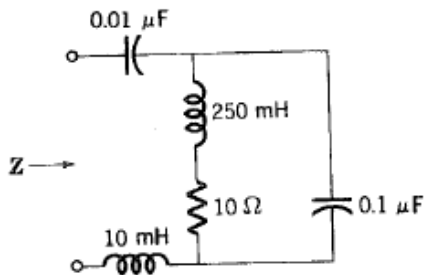
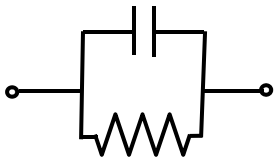


Figure 5-23

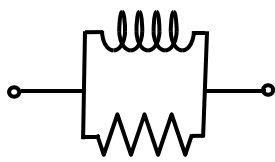
7. Reactance Quiz

8. Complex Impedance Quiz

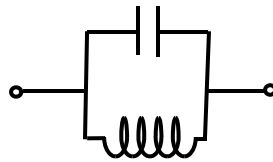
Reactance Quiz



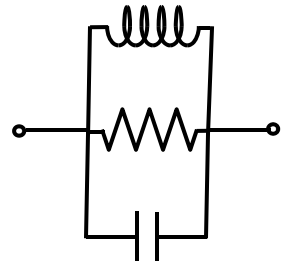
A & E



B & F



C & G



D & H

For each of the above configurations for both $\omega = 0$ and $\omega = \infty$, determine whether or not the resulting circuit appears as either a resistive circuit, a short circuit, or an open circuit. Check the appropriate blank(s).

For $\omega = 0$

Figure

Resistive Circuit

Short Circuit

Open Circuit

A.

B.

C.

D.

For $\omega = \infty$

Figure

Resistive Circuit

Short Circuit

Open Circuit

E.

F.

G.

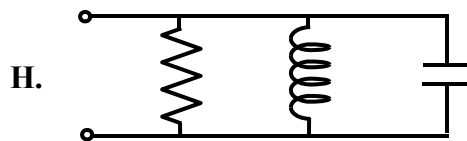
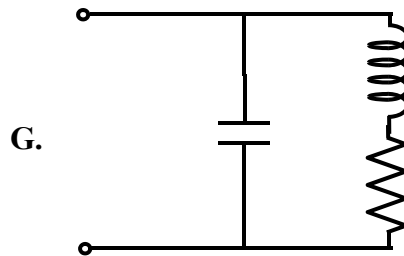
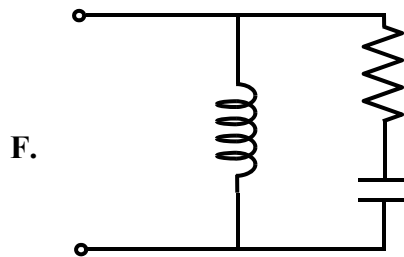
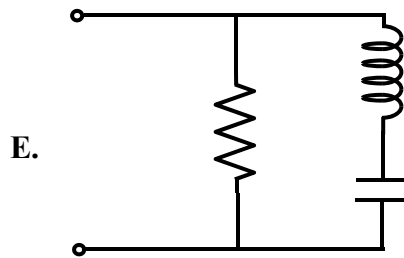
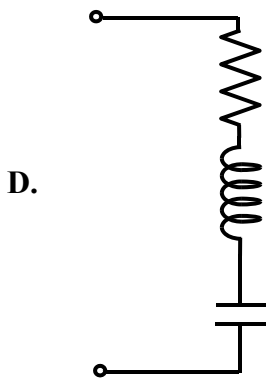
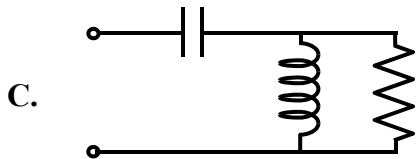
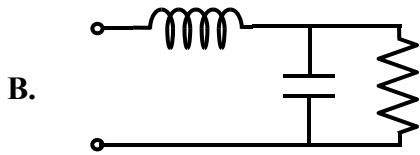
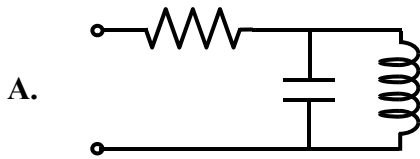
H.

Complex Impedance Quiz

Devise formulas for each of the complex impedance configurations using R , X_C , and X_L .

Hint: Impedances in series add, i.e., $Z = Z_1 + Z_2$

Two impedances in parallel equal the “*product over the sum*”, i.e. $Z = \frac{Z_1 Z_2}{Z_1 + Z_2}$



RC & RL Charging and Discharging Curves

http://hades.mech.northwestern.edu/index.php/RC_and_RL_Exponential_Responses

RCL Series Configuration $Z = 20 - j40 = 45 @ -63^\circ$

RCL Parallel Configuration $Z = 76 - j7 = 97 @ 3^\circ$

Figure A, Circuit Impedance (1800 Hz) Answer: $Z = 300 + j6428$

Figure B, Circuit Impedance (900 KHz) Answer: $Z = 3000 + j141$

Reactance Quiz

A. Resistive

B. Short Circuit

C. Short Circuit

D. Short Circuit

E. Short Circuit

F. Resistive

G. Short Circuit

H. Short Circuit

Complex Impedance Quiz

A. $R + \frac{X_C X_L}{X_C + X_L}$

B. $X_L + \frac{R X_C}{R + X_C}$

C. $X_C + \frac{R X_L}{R + X_L}$

D. $R + X_C + X_L$

E. $\frac{R(X_C + X_L)}{R + X_C + X_L}$

F. $\frac{X_L(R + X_C)}{R + X_C + X_L}$

G. $\frac{X_C(R + X_L)}{R + X_C + X_L}$

H. $\frac{1}{Z} = \frac{1}{R} + \frac{1}{X_C} + \frac{1}{X_L} = \frac{X_C X_L + R X_L + R X_C}{R X_C X_L}$

$Z = \frac{R X_C X_L}{R X_C + R X_L + X_C X_L}$